

# A guide to choosing sample sizes for M&E practitioners

27 May 2021



# Learning objectives

- Choose a sample size for:
  - Snapshots: a KAP or Needs Assessment survey
  - Change over time: a baseline/final surveys
- Account for costs for stratified and clustered samples



# Learning objectives: Key concepts

- » Population
- » Sample
- » Sampling method
- » Sample estimate
- » Population parameter
- » Error
- » Sampling error
- » Non-sampling error
- » Population standard deviation
- » Sample standard deviation
- » Effect size
- » Type 1 and Type 2 Error
- » Simple Random Sample
- » Complex Sample
- » Intra-cluster Correlation Coefficient
- » Design Effect



Samples sizes for  
**KAP Surveys** and  
**Needs Assessments**

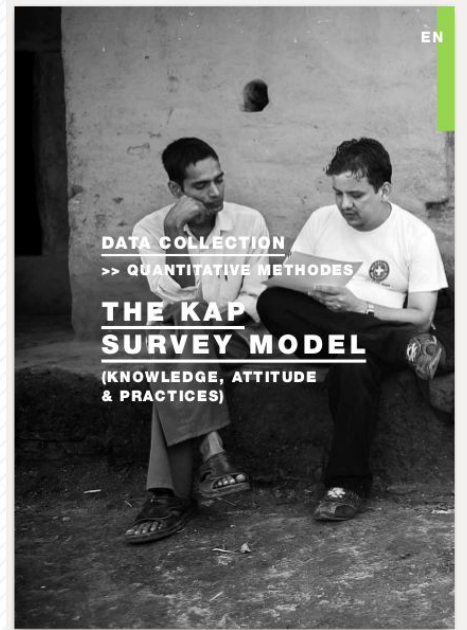
# Knowledge Attitude and Practices (KAP)

Provide a quantitative **snapshot** of the knowledge, attitudes, and practices of a population.

Results can be used to design interventions.

For more information:

<https://www.medicinsdumonde.org/en/actualites/publications/2012/02/20/kap-survey-model-knowledge-attitude-and-practices>



Activity  
Info

# KAP survey example

**Goal:** Increase COVID-19 vaccination rates in a rural population

## **KAP Survey:**

- Only 15% of respondents knew that the vaccine was available for free
- 5% of respondents said they could not afford to travel to the vaccination site.

**Conclusion:** focusing on awareness raising will have a high impact on vaccination rates (because ... )



# KAP survey example

**Goal:** Increase COVID-19 vaccination rates in a rural population

## **KAP Survey:**

- 95% of respondents knew that the vaccine was available for free
- 50% of respondents said they could not afford to travel to the vaccination site.

**Conclusion:** funding mobile vaccination sites will increase vaccination rates



## Needs assessment surveys

Provide a quantitative **snapshot** of the needs of a large population.

Results can be used to **design** interventions to address the most pressing vulnerabilities.





## Needs assessments: Example

**Goal:** Reduce morbidity and mortality and preserve dignity among a large group of newly-displaced IDPs.

### **Needs assessment:**

- What % have adequate shelter?
- What % experienced diarrhea in last 7 days?



## Key concepts

**Population** is the entire group of people\* about whom we want to draw conclusions.

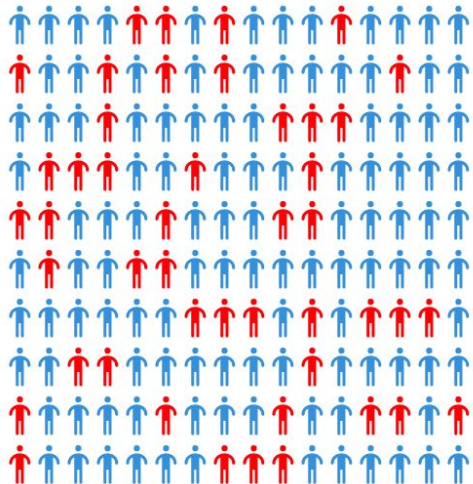
A **sample** is the specific group that you will collect data from.

The **sampling method** is the process of choosing which members of the population are included in the sample.

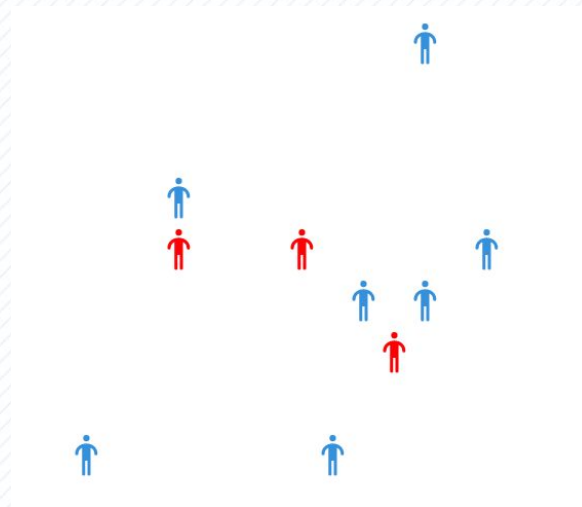


# Key concepts - applied to IDP Needs Assessment

**Population** is the entire 20,000 IDP **households** about which we are concerned.



A **sample** is the specific 200 households we will interview.



How can draw conclusions about a **population** of 20,000 households based on a **sample** of 200 households ??



## Key concepts: Estimates and Error

The **Sample estimate** is the result we get from our survey.

**Error** is the difference between our **sample estimate** and the **population parameter**, or the “true” value.



## Key concepts: Applied

**Population parameter:** 7% of households had at least one case of diarrhea in last 7 days.

**Sample estimate:** 15% of responding households had at least one case of diarrhea in last 7 days.

$$\begin{aligned}\mathbf{Error} &= \text{Population parameter} - \text{Sample Estimate} \\ &= 7\% - 15\% \\ &= -8\%\end{aligned}$$



# Key concepts: Types of Error

## Sampling Error

Error resulting from the difference between the population and our sample.

Can be estimated using mathematics.

## Non-Sampling Errors

Other error, not related to sampling, including:

- » Non-response error
- » Interviewer error
- » [Social desirability bias](#)

Difficult or impossible to estimate non-sampling error using mathematics.



## Probability theory: example

If the probability of flipping a coin and getting “heads” is  $\frac{1}{2}$ , then what is the probability of getting three heads in a row?

$$P(3 \text{ heads}) = \frac{1}{2} \times \frac{1}{2} \times \frac{1}{2} = \frac{1}{8} = 12\%$$





~~How can we draw conclusions about a **population** of 20,000 households based on a **sample** of 200??~~

What is the probability of getting a **sample estimate** that has an **error** of 10% or more compared to the population value?



# Probability theory

Sampling error can be estimated using tools from **probability theory**, a branch of mathematics.

Probability theory gives us tools to estimate how likely or unlikely events are.

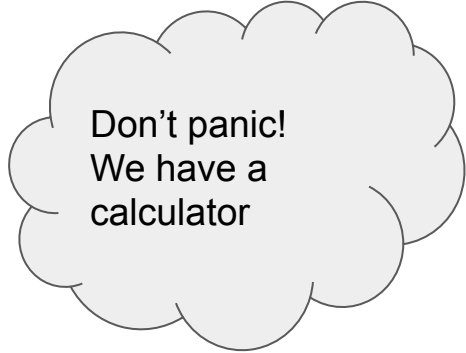


# Sampling error

Sampling error ( $\sigma_{\bar{x}}$ ) depends on:

- Sample size ( $n$ )
- Population size ( $N$ )
- Population std. deviation ( $\sigma$ )
- Confidence level ( $t_{\alpha/2}$ )
- Sample design\*

$$\sigma_{\bar{x}} = t_{\alpha/2} \frac{\sigma}{\sqrt{n}} \sqrt{\frac{N-n}{N-1}}$$



Don't panic!  
We have a  
calculator

# Calculating required sample size

If we know:

- Population size ( $N$ )
- Population std. deviation ( $\sigma$ )

$$t_{\alpha/2} \frac{\sigma}{\sqrt{n}} \sqrt{\frac{N-n}{N-1}}$$

And we choose:

- Confidence level ( $t_{\alpha/2}$ ) and  
Sampling error ( $\sigma_{\bar{x}}$ )

We can solve for Sample Size ( $n$ ) algebraically



# Population standard deviation

- Measure of how diverse or how much variance there is in the population in our measurement
- => The more diversity, the larger a sample we need.
- Estimate using the **Sample Standard Deviation ( $s$ )**

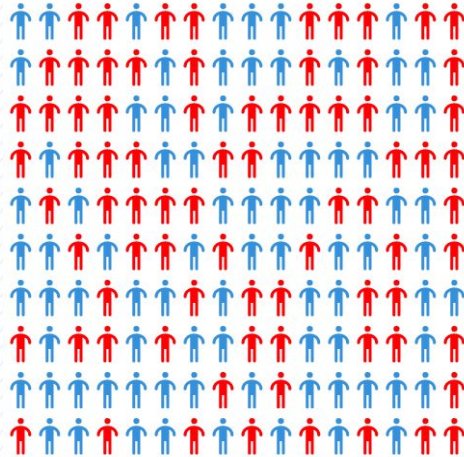


# Standard deviation - Percentages

Formula:  $s = (p)(1-p)$  Where  $p$  is the percentage as a fraction



**10%** had diarrhea  
 $s = (.10)(.90) = .09$   
Low stdev



**50%** had diarrhea  
 $s = (.5)(.5) = .25$   
Highest stdev



**90%** had diarrhea  
 $s = (.90)(.10) = .09$   
Low stdev

## Examples: percentages

- **Gender:** usually split 50/50% (high standard deviation). We will need a larger sample to measure % of women precisely.
- **Left-handed:** about 10% (low standard deviation). We can use a smaller sample.



# Standard deviation strategies

## **No information**

Plan for the largest standard deviation to be safe.

## **Information available**

Use previous surveys, census, etc, to estimate and save resources by planning for a smaller sample.





# Recap: Calculating required sample size

If we know:

- ~~Population size ( $N$ )~~
- ~~Population std. deviation ( $\sigma$ )~~

$$t_{\alpha/2} \frac{\sigma}{\sqrt{n}} \sqrt{\frac{N-n}{N-1}}$$

And we choose:

- Confidence level ( $t_{\alpha/2}$ )
- Sampling error ( $\sigma_{\bar{x}}$ )



# Sampling Error

Often communicated as:

- **Margin of error:** 25%  $\pm$  5% of IDPs have access to shelter.
- **Confidence intervals:** 20% - 30% of IDPs have access to shelter.

You should think of surveys as giving a **range** rather than an exact result.



# Revisited: KAP survey example

**Goal:** Increase COVID-19 vaccination rates in a rural population

## **KAP Survey:**

- Only 15% of respondents knew that the vaccine was available for free
- 5% of respondents said they could not afford to travel to the vaccination site.

**Conclusion:** focusing on awareness raising will have a high impact on vaccination rates



# Revisited: KAP survey example

**Goal:** Increase COVID-19 vaccination rates in a rural population

**KAP Survey:**

$\pm 5\%$

- Between 10% and 20% of the population knows that the vaccine was available for free
- Between 0 and 10% of population cannot afford to travel to the vaccination site.

**Conclusion:** focusing on awareness raising will have a high impact on vaccination rates

Still valid?

# Revisited: KAP survey example

**Goal:** Increase COVID-19 vaccination rates in a rural population

**KAP Survey:**

$\pm 10\%$

- Between 5% and 25% of the population knows that the vaccine was available for free
- Between 0 and 15% of population cannot afford to travel to the vaccination site.

**Conclusion:** focusing on awareness raising will have a high impact on vaccination rates

Still valid?

# Revisited: KAP survey example

**Goal:** Increase COVID-19 vaccination rates in a rural population

**KAP Survey:**

$\pm 20\%$

- Between 0% and 35% of the population knows that the vaccine was available for free
- Between 0 and 25% of population cannot afford to travel to the vaccination site.

**Conclusion:** focusing on awareness raising will have a high impact on vaccination rates

Still valid?

# Using the calculator

<https://www.activityinfo.org/support/docs/sampling/index.html>



# Samples sizes for **Comparisons**



## Example

**Program:** Three year program to increase women's meaningful participation in the security sector in a Middle Income Country (MIC)

**Indicator:** Percentage of security sector staff holding a positive perception of women's entry, advancement and leadership in the security sector.

**Population:** All persons employed on January 1st, 2018 in the Army, Navy, or Police.



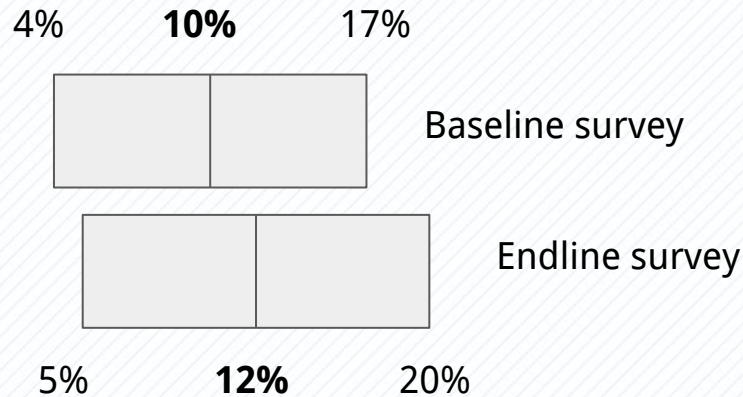
# Measuring impact

Baseline survey, final survey after 3 years.

How large of a sample do we need?



# Confidence intervals, n = 100



Probability theory gives us the tools to estimate the difference in percentages:

Difference is between -10% and +6%

## Key concepts: Effect size

**Effect size** the magnitude of difference between populations.

$$ES = \frac{p_1 - p_0}{\sqrt{p_1(1-p_1)}}$$



## Key concepts

**Type 1 Error:** False positive. Survey says there is a difference, but there is not in reality.

**Type 2 Error:** False negative: Survey says there is no difference, but there is a difference in reality.



# Measuring impact

Baseline survey, final survey after 3 years.

How large of a sample do we need?

What is the smallest change we want to reliably detect?



# Using the sample calculator

<https://www.activityinfo.org/support/docs/sampling/baseline-and-endline.html>



# Accounting for **Sample Design**



## Key concepts

The **sampling method** is the process of choosing which members of the population are included in the sample



# Key concepts - sampling methods

## Random sampling

Sample is selected randomly, without bias.

Every member of the population has a well-defined probability of being selected.

Error and design effect can be estimated mathematically.

## Convenience Sampling

Sample is selected at the interviewer or respondent's convenience.

**Examples:** Interviewing people in the market, web surveys on social media.



# Key concepts - random samples

## Simple Random Sample (SRS)

Every member of the population has an **equal** and **independent** chance of being selected.

## Complex Sample

Every member of the population has a **known chance** of being selected.

Design includes:

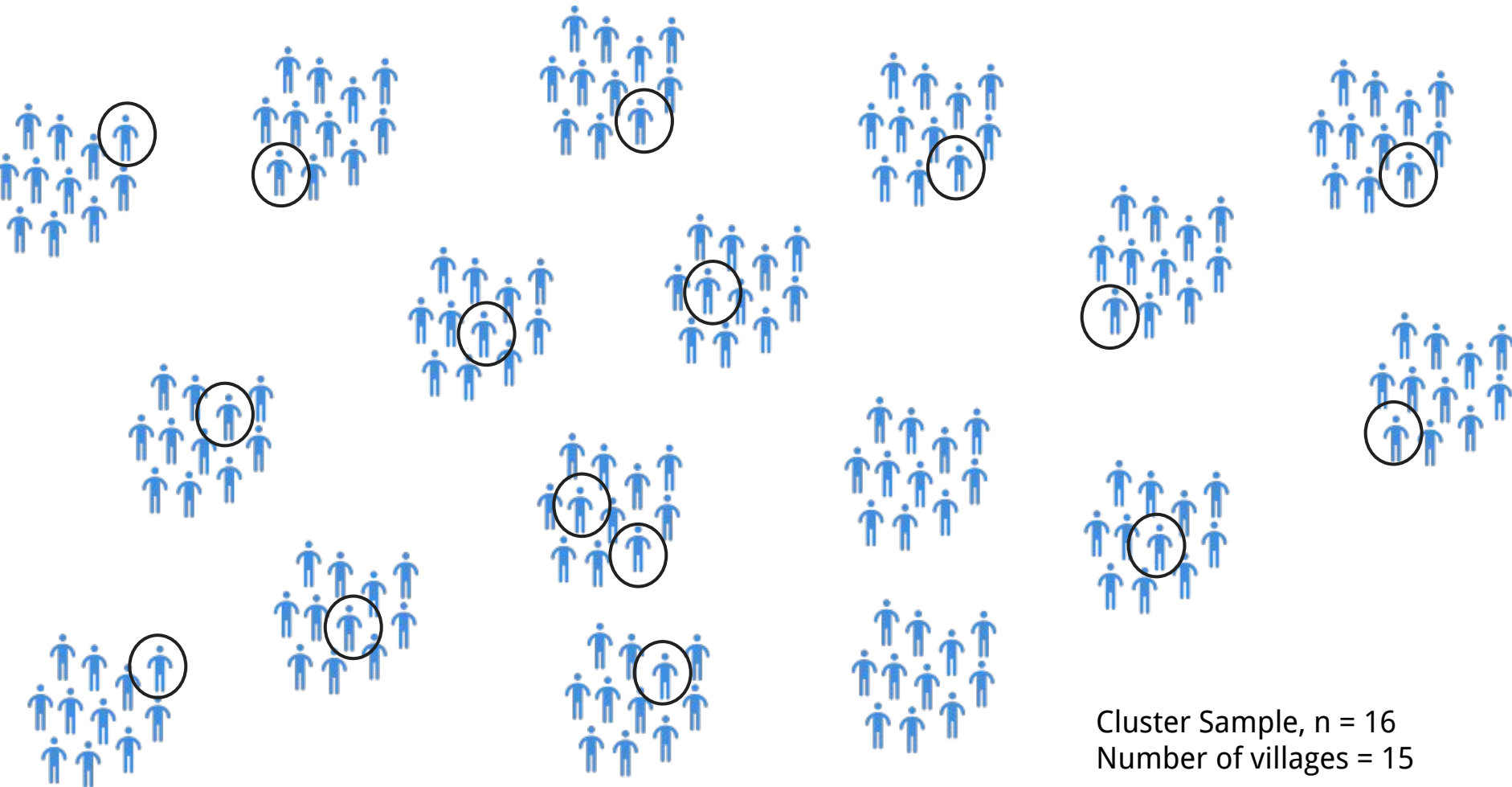
- Stratification
- Clustering
- Multiple stages



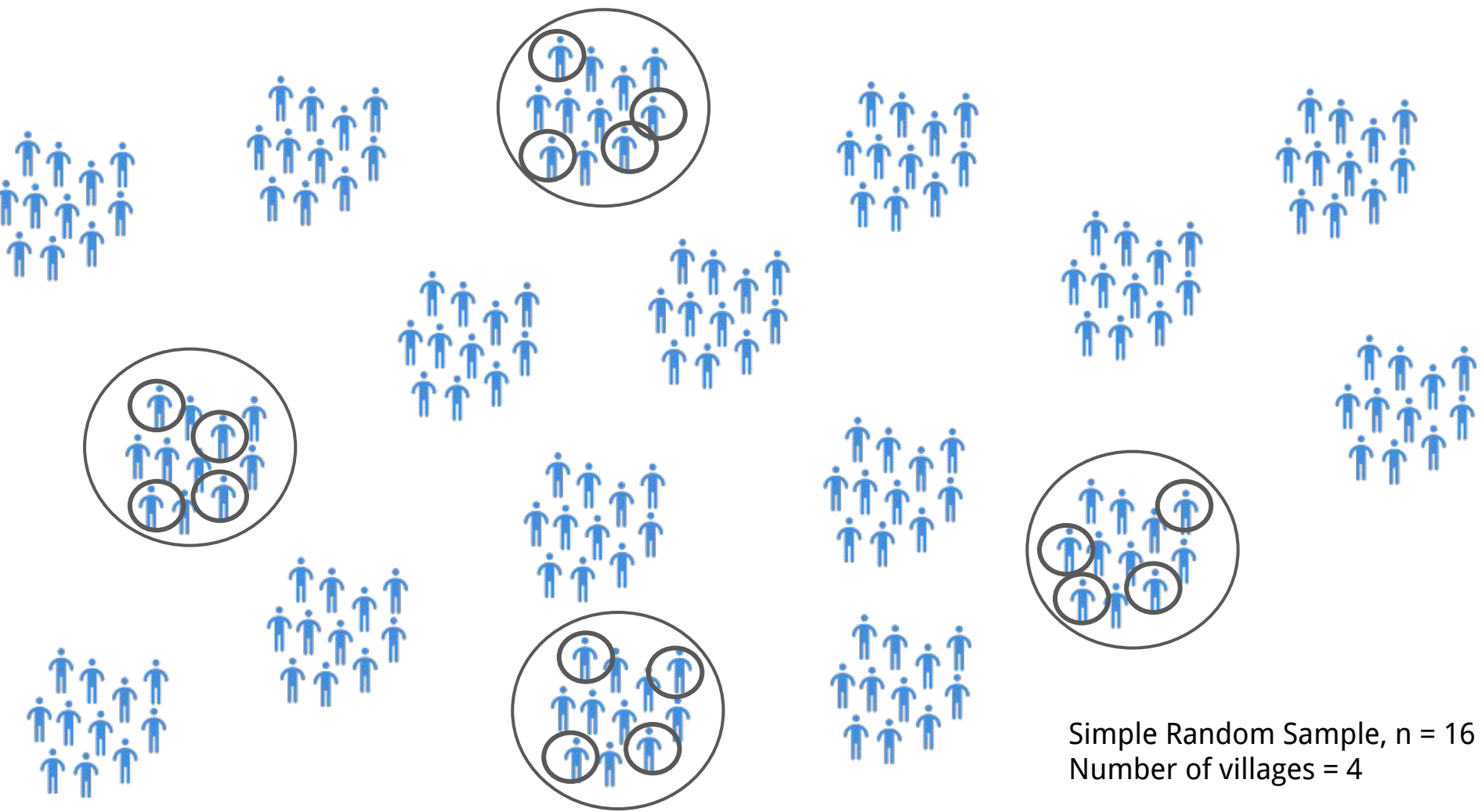
## Problem: transportation costs

If we select a SRS, we might have to travel to a many different places.





Cluster Sample,  $n = 16$   
Number of villages = 15



Simple Random Sample,  $n = 16$   
Number of villages = 4

# Cluster sampling

- First select clusters randomly
- Then select individuals within the cluster randomly
- Sample is no longer **independently** selected



## Key concepts

**Intra-cluster correlation (ICC):** The degree to which members of the same cluster resemble each other.

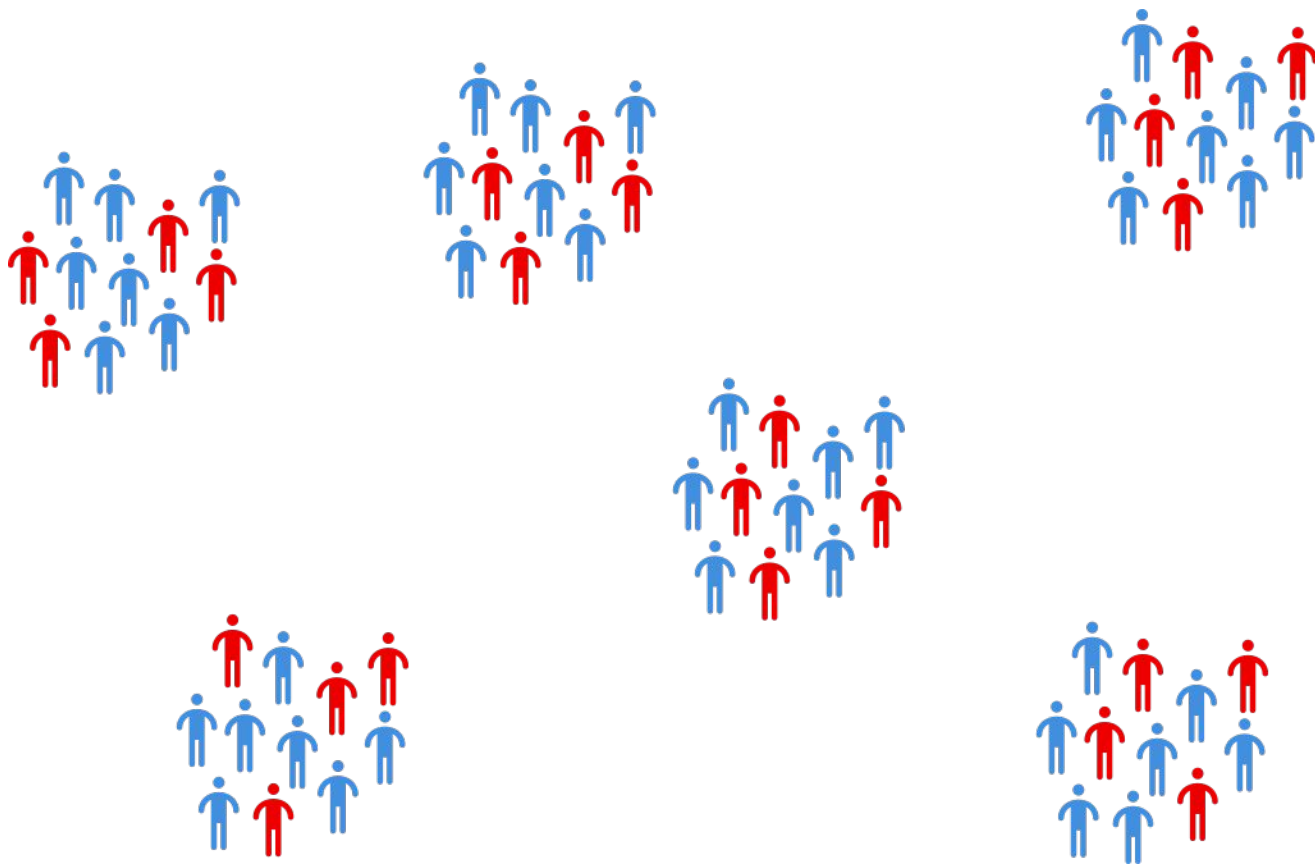
**Effective sample size:** the sample size of a Simple Random Sample (SRS) with the same precision.

**Design effect:** The ratio between the actual sample size and the effective sample size.

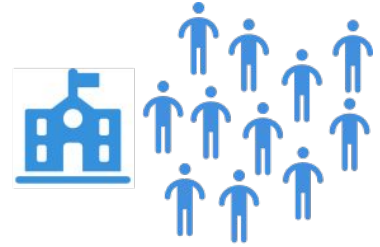
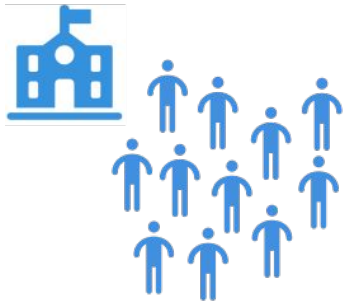




Example: % of population under 25  
Low intra-cluster correlation



Example: % of population with access to an elementary school  
Very high intra-cluster correlation



## Using Design Effect

If you are planning on a survey with a Design Effect of 2.0, **double** your required sample size.

If you are planning on a survey with a Design Effect of 3.0, **triple** your required sample size.



# Using the ICC and Design Effect Calculator

<https://www.activityinfo.org/support/docs/sampling/cluster.html>



*Thank you!*

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*and join us for our*

*next webinar!*